

# SF2942: Portfolio theory and risk management

## Fall 2016

**Contact information:**

Pierre Nyquist

Department of Mathematics

Office: Room 3432, Lindstedtsv. 25

Email: [pierren@kth.se](mailto:pierren@kth.se)

Carl Ringqvist

Department of Mathematics

Office: Room 3417, Lindstedtsv. 25

Email: [carrin@kth.se](mailto:carrin@kth.se)



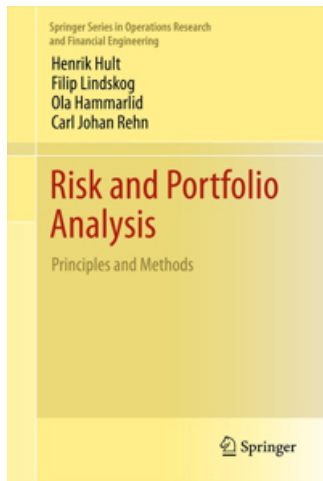
What is this course about?

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*“all the eggs should not be in the same basket”*

(1990 Alfred Nobel Memorial Prize in Economics press release, regarding the work of H. Markowitz)

- I Interest rates and cash flows.
- II Financial derivatives and no-arbitrage.
- III Convex optimization.
- IV Quadratic hedging principles.
- V Hedging of insurance liabilities.
- VI Immunization of cash flows.
- VII Quadratic investment principles.
- VIII Utility-based investment principles.
- IX Risk measurement principles.



Example of other topics in which you will benefit from a course like this:

- Financial mathematics
- Financial derivatives
- Risk management
- Actuarial science
- ...

# Objectives

By the end of the course you should

- be able to rigorously define and explain fundamental concepts within interest rate theory, portfolio theory and risk management.
- be familiar with common instruments for risk management.
- be able to define different frameworks and criteria for portfolio choices and explain their strengths and weaknesses.
- be able to construct optimal portfolios using common financial instruments.
- be able to give examples of some standard risk measures.
- ...

# Motivating examples

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Financial institutions often have to report the risk associated with their aggregate positions to a regulatory agency (e.g., Finansinspektionen). But how can we quantify “risk” in a meaningful way?

# Syllabus overview

# Course logistics

Meeting times: TuThF 8:00-10:00 + additional times weeks 1-3; B1.

Office Hours: Tue 10:30-11:30, .

Webpage: [www.math.kth.se](http://www.math.kth.se). Visit the webpage for all course announcements, policies and guidelines and an up-to-date schedule.

Prerequisites: Single and multi-variable calculus linear algebra, differential equations, mathematical statistics and numerical analysis. Knowledge of optimization theory is helpful but not required.

## Course logistics cont'd

Lectures divided into two types: Theory and problem sessions. The former covers basic theoretical concepts, as well as examples and applications that highlight the theory. Problem sessions: Exercises from the book.

Instruction will be a mixture of blackboard and electronic presentations. In particular, we will try to incorporate presentations in R when suitable.

The main text is “Risk and Portfolio Analysis: Principles and Methods” by Hult et al. Additional texts that may be of use: “Fundamentals of Futures and Options Markets” and “Options, Futures and Other Derivatives” by John C. Hull (by no means required).

# Examination

Grades decided by a written exam, possible to obtain bonus points from assignments.

## Exam:

- Final exam scheduled for Thursday October 27.
- Cumulative exam.
- For questions regarding the proceedings of the exam, please contact the Student Affairs Office.

## Assignments:

- Two voluntary assignments.
- Second assignment will involve real market data using Quantlab.
- Collaboration is encouraged. However, solutions must be written up and submitted in groups of at most three..
- See course webpage for guidelines regarding late homework etc.

## Preliminary outline

There will be a total of 24 classes (excluding final exam). The following is a preliminary list of important dates throughout the course.

- Week 2
  - Fri 9/9: Assignment 1 available.
- Week 4
  - Fri 9/23: Deadline Assignment 1. Assignment 2 available.
- Week 7
  - Fri 10/14: Summary. Deadline Assignment 2.
- Week 8: **No classes.**
- Week 9
  - Thu 10/27: **Final exam, 08:00-13:00.**

**Next:** Interest rates and cash flows.

Any questions - send me an email or stop by my office (Thu 10:30-11:30 this week, or some other agreed upon time).