# POLYNOMIAL KNOTS AND MINIMAL DEGREE SEQUENCE 

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#### Abstract

Polynomial knots were introduced by Vasiliev and are now studied by many mathematicians. They are important from Algebraic Geometry point of view to settle the famous age old conjucture of Abhyankar. Notion of degree sequence and minimal degree sequence has been introduced to understand the knot type of the polynomial knots. In this poster presentation we discuss the minimal degree sequence of few important classes of knots namely Torus knots and 2-Bridge knots.


Keywords: Knot-Type, Torus Knot, 2-Bridge Knots, Rational Tangles, Polynomial Knots, Real Morsification.

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